# ChatGPT, n-grams and the power of subword units: The future of research in morphology 

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## What this talk is about

- Challenging times for linguistics:
- Generative Pre-trained Transformers (GPT), large language models (LLM), versus linguistic theory;
- innateness of language versus AI, i.e. humans versus machines;
- linear versus hierarchical organization of language structure;
- theory versus application.
- I address the challenges by explaining how linguists can learn from them;
- Why (derivational) morphology is in a privileged position in comparison to other linguistic (sub)fields, cf. Byte Pair Encoding (BPE);
- I identify missing resources for the study of derivational morphology.


## Preliminaries: Computer science and NLP vs. linguistic theory

- Significant advances in computer science and NLP in the past ten years or so.
- Generative Pre-trained Transformers (GPT), large language models (LLM), based on artificial neural networks (transformer architecture) and pre-trained on large data sets of unlabeled text entered the field of NLP.
- A GPT (LLM) does not use grammar of the type known from linguistic theory.


## Preliminaries: Computer science and NLP vs. linguistic theory

- On November 30, 2022, OpenAI launched ChatGPT, a LLM chatbot with a user-friendly interface that was additionally trained for dialogue with humans.
- ChatGPT raises questions about the future of linguistics, specifically of the correctness of the so-called Chomsky's approach that claims for innateness of language; this approach has been one of the dominant research paradigms in linguistics for years.
- Chomsky's approach (and most linguistic framework) assume a hierarchical organization of language evidenced in terms of syntactic trees (versus a linear analysis in LLMs).
- What are syntactic trees: representations and/or evidence for internal organization of language?
- Direction of growth: in linguistics, trees grow from leaves to the root, while trees in computer science follow the natural direction of growth, i.e. from the root to leaves.


## Rooted binary trees in linguistics and computer science

Linguistics (Embick \& Noyer 2012)
(19) Structure for laudab $\bar{a} т и s$


Source: https://www.geeksforgeeks.org/binary-tree-data-structure/

## Preliminaries: Computer science and NLP vs linguistic theory

- ChatGPT was launched in 2022 and is fluent in an impressive number of languages. Chomsky's approach celebrated 50 years of linguistics at MIT in 2011 but still cannot generate fluent language. This situation could only mean that, most probably, Chomsky's theory (and linguistic theory in general) is unnecessarily complex.
- ChatGPT can understand and generate language based only on form (a linear sequence of words in a prompt), which implies that form and meaning in language are in a perfect relationship. As ChatGPT prompts are longer than a word, often even longer than a sentence, the perfect relationship between meaning and form should be visible only if one considers long sequences of words (tokens); later, I will explain the Byte Pair Encoding (BPE) algorithm that is used for tokenization in LLMs.


## Structure of the talk

- Byte Pair Encoding (BPE) and the role of subword units in NLP
- Complexity in computer science (Big O notation) and in linguistics
- Form-focused analysis of derivational morphology
- A mathematical method, Gauss-Jordan elimination, will be applied to derivational data from English and Polish
- Psycholinguistic experiment with native speakers of English and Polish
- Discussion of results and findings
- Conclusion
- The future of research in (derivational) morphology
- Missing resources for research on derivational morphology


## Byte Pair Encoding (BPE), Sennrich et al. (2016)

- Tokenization: dividing a string of text into a collection of tokens. [ChatGPT uses tiktoken, https://github.com/openai/tiktoken]
- Tokens typically serve as input to vectorization, i.e. tokens are converted into numerical representations for machine learning.
- Byte Pair Encoding (BPE) is a compression algorithm: it represents a large vocabulary with a small set of subword units.
- BPE iteratively merges the most frequent pair of consecutive bytes or characters in a text corpus until a predefined vocabulary size is reached. (ChatGPT uses cl100K_base).

Sennrich, Rico, Barry Haddow, and Alexandra Birch. 2016. Neural Machine Translation of Rare Words with Subword Units, arXiv:1508.07909v5 [cs.CL]

## Byte Pair Encoding (BPE)

## Concepts related to BPE

- Vocabulary: A set of subword units that can be used to represent a text corpus.
- Byte: A unit of digital information that typically consists of eight bits.
- Character: A symbol that represents a written or printed letter or numeral.
- Frequency: The number of times a byte or character occurs in a text corpus.
- Merge: The process of combining two consecutive bytes or characters to create a new subword unit.


## BPE: Illustration

Text corpus: "ab", "bc", "bcd", and "cde" (i.e. consists of four words)
Step 1: Initialize the vocabulary
Vocabulary = \{"a", "b", "c", "d", "e"\}
Step 2: Calculate the frequency of each character (byte)
Frequency = \{"a": 1, "b": 2, "c": 3, "d": 2, "e": 1\}
Step 3a: Find the most frequent pair of two characters
The most frequent pair is "bc" with a frequency of 2.
Step 3b: Merge the pair
Merge "bc" to create a new subword unit "bc".
Step 3c: Update frequency counts
Update the frequency counts of all the bytes or characters that contain "bc":

$$
\text { Frequency = \{"a": 1, "b": 2, "c": 3, "d": 2, "e": 1, "bc": 2\} }
$$

Step 3d: Add the new subword unit to the vocabulary
Add "bc" to the vocabulary:
Vocabulary = \{"a", "b", "c", "d", "e", "bc"\}
Repeat steps 3a-3d until the desired vocabulary size is reached.

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## GPT tokenization

GPT-3 Codex
Many words map to one token, but some don't: indivisible.

Unicode characters like emojis may be split into many tokens containing the underlying bytes:

Sequences of characters commonly found next to each other may be grouped together: 1234567890

Clear Show example

| Tokens | Characters |
| :--- | :--- |
| 64 | 252 |

Source: https://platform.openai.com/tokenizer

## GPT tokenization

```
Tokens Characters
64 252
Many words map to one token, but some don't: indivisible.
Unicode characters like emojis may be split into many tokens containing
the underlying bytes: 00000%
Sequences of characters commonly found next to each other may be grouped
together: 1234567890
TEXT TOKENIDS
```


## Token IDs

## Tokens Characters <br> 64252

[7085, 2456, 3975, 284, 530, 11241, 11, 475, 617, 836, 470, 25, 773, 452, 12843, 13, 198, 198, 3118, 291, 1098, 3435, 588, 795, 13210, 271, 743, 307, 6626, 656, 867, 16326, 7268, 262, 10238, 9881, 25, 12520, 97, 248, 8582, 237, 122, 198, 198, 44015, 3007, 286, 3435, 8811, 1043, 1306, 284, 1123, 584, 743, 307, 32824, 1978, 25, 17031, 2231, 30924, 3829]

## Token IDs



## Subword units vs. morphemes

```
linguistic theory
Clear
Tokens Characters
4
17
```

linguistic theory

## Subword units vs. morphemes

GPT-3 Codex

| linguistic theory |
| :--- |
| Clear Show example |
| Tokens Characters |
| 4 |
| [1359, 84, 2569, 4583] |

## Subword units vs. morphemes



## The most frequent token

| Tokens | Characters | Tokens |
| :--- | :--- | :--- |
| 4 | 17 | 4 |

## The least frequent token

| Tokens | Character |
| :--- | :--- |
| 4 | 17 |
| linguistic | theory |


| Tokens | Characters |
| :--- | :--- |
| 4 | 17 |

[1359, 84, 2569, 4583]

## Tokenization of derived words

## GPT-3 Codex

linguist

Clear Show example
Tokens Characters
3
8
linguist

## Tokenization of derived words

GPT-3 Codex

linguistic

Clear
Show example

Tokens Characters
310
linguistic

## Complexity

## Complexity

- In science, a problem often allows for different solutions. The so-called Big O notation serves for assessment of the complexity of those solutions in mathematics and CS.
- The Big O notation tells us how an algorithm slows as data gow. That is, complexity is not a property of data (which is the case in linguistics, but of the algorithm (analysis).
- As an illustration let us evaluate two solutions of a task.
[Note that the example is meant to help linguists understand the logic of the concept of complexity and is an oversimplification. In CS, the Big O notation evaluates the complexity of functions.]


## The logic of the Big O notation

## Problem: Calculate the sum of the numbers from 1 to 100.

Solution 1: $1+2+3$, and so on to 100 , i.e. 99 summations are necessary to calculate the sum.
Let us check the behavior of this solution as data grow, e.g. let us increase the amount of the data from 100 to 1000 . Following the idea of Solution 1, to calculate the sum of the numbers from 1 to 1000, we have to perform 999 summations. That is, with the growth of the data, more effort is required to come to a solution.

Solution 2: Based on the observation made by the young Gauss that $100+1=99+2=$ $98+3$, and so on to $51+50$, we can calculate the sum of the numbers from 1 to 100 in two steps: the first step involves addition, the second consists in multiplication: $(1+100)^{*} 50=5050$. An increase of the amount of the data from 100 to 1000, does not change the algorithm and we can still calculate the sum of the numbers from 1 to 1000 in two steps: $(1+1000) * 50=500500$.

## The logic of the Big O notation

Solution 1: $1+2+3$, and so on to 100 , i.e. 99 summations are necessary to calculate the sum. Let us check the behavior of this solution as data grow, e.g. let us increase the amount of the data from 100 to 1000 . Following the idea of Solution 1, to calculate the sum of the numbers from 1 to 1000, we have to perform 999 summations. That is, with the growth of the data, more effort is required to come to a solution.

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Both Solution 1 and Solution 2 give the same result, but the first solution is complex and therefore uninteresting, while Gauss's solution is simple and elegant and has been used as a formula for the sum of an arithmetic progression ever since.

## Complexity of a linguistic analysis

The ChatGPT approach to language relies on surface forms (for convenience, I speak of 'phonological information'), see Rule 1; while a linguistics approach usually relies on semantics, see Rule 2.

Rule 1, form-based: If a word $A$ ends in -a, attach the suffix $B$ to it.
Rule 2, semantics-based: If $X$ is a particular type of a verb (e.g. an action verb), derive a particular type of a noun $Y$ (e.g. an agent) by the attachment of the productive suffix $Z$ (e.g. -er)?

- The information on which Rule 1 relies is not language-specific and is directly available: for the word A we have to evaluate whether it terminates in -a or not.
- The semantic information on which Rule 2 relies requires additional effort to be discovered and Rule 2 is also language-specific, in the sense that we need some knowledge of the language from which the data come in order to apply this rule.


## Complexity of a linguistic analysis

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- Rule 1 consists of two steps:
i) we have to check whether $A$ ends in -a and if yes, step ii);
ii) attach the suffix B.
- Rule 2 involves more than two steps:
i) evaluation whether a word is a verb; if yes, step ii);
ii) ensure that the verb is of the type we need (an action verb); if yes, step iii);
iii) add the productive suffix -er to derive an agent noun, if iv);
iv) the derivation is possible; because e.g. to edit is an action verb but does not co-occur with -er (moreover, according to linguistic theory to edit is a backformation from editor, Manova, 2011a).

Rule 2 is more complex than Rule 1.

## Rule 1: Example

Bulgarian has a suffixal definite article and indefinite nouns and adjectives in this language may end in -a. If semantics is considered, there should be four different -a morphemes, cf. the morphosyntactic feature values in (1) and (2), where all -a morphemes are bolded and indexed for convenience. The four different -a morphemes all select the definite article -ta (Manova and Dressler, 2001), though the article has allomorphs, see selo 'village' in (1d).
(1) Nouns: indefinite
a. sg.fem: bluz-a, 'blouse'
b. sg.masc: bašt- $a_{2}$ 'father'
c. pl.neut: sel-a ${ }_{3}$ 'villages'
d. cf. sg.neut: sel-o 'village'
(2) Adjectives: indefinite sg.fem: krasiv-a ${ }_{4}$ 'beautiful'
$\rightarrow$ definite
$\rightarrow$ bluz-a - -ta 'the blouse'
$\rightarrow$ bašt- $a_{2}$-ta 'the father'
$\rightarrow$ sel-a ${ }_{3}$-ta 'the villages'
$\rightarrow$ sel-o-to 'the village'
$\rightarrow$ definite
$\rightarrow$ krasiv-a ${ }_{4}$-ta 'the beautiful'

## Form-based analysis of derivational morphology

## Form-based analysis of derivational morphology

- Undoubtedly, English is the language with the most profoundly studied derivational morphology. (Overviews of research on derivational morphology from a cross-linguistic perspective in Lieber and Štekauer, 2014; Plag and Balling, 2016; and Lieber, 2017.)
- While more recent studies analyze English word-formation based primarily, if not exclusively, on semantics (Lieber, 2004, among many others), previous research known as the Stratal approach (Siegel, 1974; Selkirk, 1982; Kiparsky, 1982) is form-focused, see (3): based on phonological information (see the different types of juncture marked by ' + ' and ' $\#$ ' respectively) forms of affixes are distributed into different strata (classes) so that class II affixes are always outside class I affixes in the word-form.
(3) English: Stratal approach, from Spencer (1991:79)
a. Class I suffixes: +ion, +ity, $+y,+a l,+i c,+a t e,+o u s,+i v e,+a b l e,+i z e$
b. Class I prefixes: re+, con+, de+, sub+, pre+, in+, en+, be+
c. Class II suffixes: \#ness, \#less, \#hood, \#ful, \#ly, \#y, \#like, \#ist, \#able, \#ize
d. Class II prefixes: re\#, sub\#, un\#, non\#, de\#, semi\#, anti\#


## Other form-focused analysis of English WF

- Fabb (1988) distributes the English suffixes into four groups:
(4) English: Suffix-driven selectional restrictions (Fabb 1988)
a. Group 1: suffixes that do not attach to already suffixed words
b. Group 2: suffixes that attach outside one other suffix
c. Group3: suffixes that attach freely
d. Group 4: problematic suffixes
- Closing suffixes: a particular suffixal form cannot be followed by other suffixes in a language, Szymanek (2000) for English (and Polish), see also Aronoff \& Fuhrhop (2002). Closing suffixes have been established in a number of languages, Manova (2015b) is an overview of research on the topic.
- Another highly relevant observation regarding the order of English derivational suffixes is reported in Manova (2011b) and Manova and Knell (2021). The observation is made with the help of the Gauss-Jordan elimination.


## Gauss-Jordan elimination

## Task: Solve this system of linear equations:

$$
\begin{aligned}
2 x+y+2 z & =10 \\
x+2 y+z & =8 \\
3 x+y-z & =2
\end{aligned}
$$

Example taken from:
https://math.libretexts.org/Bookshelves/Applied_Mathematics/Applied_Finite_Mathematics_(Sekhon_and_Bloom)/02\%3A_Mat rices/2.02\%3A Systems of Linear_Equations_and the Gauss-Jordan_Method

Gauss-Jordan elimination

## Solution:

Write the augmented matrix.

$$
\begin{aligned}
2 x+y+2 z & =10 \\
x+2 y+z & =8 \\
3 x+y-z & =2
\end{aligned}
$$

Manipulate the matrix, i.e. interchange rows or use elementary operations such as addition and multiplication until you get the matrix in a reduced row echelon form, which gives the values of all variables and is thus the solution to the problem.
$[8$
1
0
0
0
0
$\left[\begin{array}{l}1 \\ 2 \\ 3\end{array}\right]$

$$
\begin{aligned}
& x=1 \\
& y=2 \\
& z=3
\end{aligned}
$$

## Gauss-Jordan elimination: The takeaway

- Pay attention to the well-known
- Manipulate well-known facts with the most simple logic
- Distribute the information so that there is only one option of a kind -- this option is the solution to the problem

Linguistic analysis: The combinability of the English suffix -ist

| SUFF1 | Lexical <br> category of <br> SUFF1 | Followed by SUFF2 <br> suffixes |
| :--- | :--- | :--- |
| -ist | N | -dom, -ic, $-y,-i z e$ |

Data from Aronoff \& Fuhrhop (2002), based on OED, CD 1994

Gauss-Jordan: The combinability of the English suffix -ist Making suffix combinations unique pieces of word structure

| SUFF1 | Lexical category <br> of SUFF1 | SUFF2 suffixes <br> according to their <br> lexical categories |
| :--- | :--- | :--- |
| -ist | N | N: -dom (2) |
|  |  | ADJ: -ic (631), -y (5) |
|  | V: -ize (3) |  |

Table from Manova (2011)
Data from Aronoff \& Fuhrhop (2002), based on OED, CD 1994

## Fixed combinations

| SUFF1 | Lexical category <br> of SUFF1 | SUFF2 suffixes <br> according to their <br> lexical categories |
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Table from Manova (2011)
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## Predictable combination

| SUFF1 | Lexical category <br> of SUFF1 | SUFF2 suffixes <br> cccording to their <br> lexical categories |
| :--- | :--- | :--- |
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|  |  | V: -ize (3) |

Table from Manova (2011)
Data from Aronoff \& Fuhrhop (2002), based on OED, CD 1994

## Types of suffix combinations: Summing up

| SUFF1 | Lexical category of <br> SUFF1 | SUFF2 classified for lexical category; <br> in brackets, number of types (lemmas) derived with <br> the combination SUFF1-SUFF2 |  |
| :--- | :--- | :--- | :--- |
| - ist | N | $\mathrm{N}:-\operatorname{dom}(2)$ | [fixed combination] <br> [predictable combination] <br> [ficed combination] |
|  |  | $\mathrm{V}:-$ ize (3) $)$ |  |

Table 1: Combinability of the English suffix -ist
(data from Aronoff and Fuhrhop, 2002, based on OED, CD, 1994)

## English derivational morphology: a ChatGPT perspective



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| :--- | :--- | :--- | :--- |
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## English derivational morphology: a ChatGPT perspective

| GPT-3 Codex |  | GPT-3 | Codex |
| :---: | :---: | :---: | :---: |
| touris |  | tour istdom |  |
| Clear | Show example | Clear | Show example |
| Tokens | Characters | Tokens | Characters |
| 3 | 7 | 4 | 10 |
| tourist |  | touristdom |  |


| SUFF1 | Lexical category of <br> SUFF1 | SUFF2 classified for lexical category; <br> in brackets, number of types (lemmas) derived with <br> the combination SUFF1-SUFF2 |  |
| :--- | :--- | :--- | :--- |
| - ist | N | $\mathrm{N}:-\operatorname{dom}(2)$ | [fixed combination] <br> [predictable combination] <br> [fixed combination] |
|  |  | $\mathrm{V}:-$ ize (3) $)$ |  |

Table 1: Combinability of the English suffix -ist
(data from Aronoff and Fuhrhop, 2002, based on OED, CD, 1994)

## English derivational morphology: a ChatGPT perspective

| GPT-3 | Codex | GPT-3 | Codex |
| :---: | :---: | :---: | :---: |
| tourist |  | touristic |  |
| Clear | Show example | Clear | Show example |
| Tokens | Characters | Tokens | Characters |
|  | 7 | 3 | 9 |
| tourist |  | touristic |  |
| text | token ids | TEXT | TOKEN IDS |

## English derivational morphology: a ChatGPT perspective

| GPT-3 Codex |  | GPT-3 Codex |  |
| :--- | :--- | :--- | :--- |
| tourist | touristy |  |  |
|  |  |  |  |
|  |  |  |  |
| Clear | Showexample | Clear | Showexample |
| Tokens | Characters | Tokens | Characters |
| 3 | 7 | 4 |  |
| tourist | touristy |  |  |


| SUFF1 | Lexical category of <br> SUFF1 | SUFF2 classified for lexical category; <br> in brackets, number of types (lemmas) derived with <br> the combination SUFF1-SUFF2 |  |
| :--- | :--- | :--- | :--- |
| - ist | N | $\mathrm{N}:-\operatorname{dom}(2)$ | [fixed combination] <br> [predictable combination] <br> [fixed combination] |
|  |  | $\mathrm{V}:-$ ize (3) $)$ |  |

Table 1: Combinability of the English suffix -ist
(data from Aronoff and Fuhrhop, 2002, based on OED, CD, 1994)

## English derivational morphology: a ChatGPT perspective

GPT-3 Codex<br>\section*{tourist}

GPT-3 Codex

touristize

| Clear | Show example |
| :--- | :---: |
| Tokens | Characters |
| 3 | 7 |

tourist

| Clear | Show example |
| :--- | :--- |
| Tokens | Characters |
| 4 | 10 |
| touristize |  |

A more complex example from Polish
\(\left.\left.\left.$$
\begin{array}{lllll}\hline \text { SUFF1 } & \begin{array}{l}\text { Lexical } \\
\text { category } \\
\text { of SUFF1 }\end{array} & \begin{array}{l}\text { Lexical category of } \\
\text { SUFF2 }\end{array} & \begin{array}{l}\text { SUFF1-SUFF2 } \\
\text { exemplified }\end{array}
$$ \& Notes <br>

\hline-a r z \& \mathrm{~N} \& i. ADJ:-n(y)(2) \& moc-ar-n(y) 'strong' \& [derives only 2 adjectives]\end{array}\right] $$
\begin{array}{l}\text { [derives a single adjective] }\end{array}
$$\right] $$
\begin{array}{l}\text { [default for derivation of }\end{array}
$$\right]\)| adjectives] |
| :--- |

Table 2: Combinability of the Polish suffix -arz

## Processing of morphological structure by humans

- Considering the fact that derivational suffixes in English and Polish seem to form only fixed and predictable combinations, I hypothesized that native speakers should have memorized them and, consequently, should be able to process them without reference to meaning, that is, based exclusively on form.
- To test this hypothesis, I designed a psycholinguistic experiment. Here I present only the results of the native speakers of English and Polish, but the experiment was also conducted with native speakers of German, Italian, Spanish and Slovene, and with advanced non-native speakers of English and German.
- Overall, the results of all iterations converge. (For curious readers, the scores of the non-native speakers of English are reported in Manova and Knell, 2021; the scores of the native and non-native speakers of German can be found in Brosche and Manova, 2022).


## Psycholinguistic experiment

## Method

64 native Polish speakers and 45 native English speakers were tested, they all participated on a voluntary basis. The questionnaire presented to them consisted of three parts:

- A series of general demographic questions regarding age, gender, nationality, native language(s), other languages spoken, level of education, and experience in a linguistic or other language-related field.
- A small practice to ensure that the participants understood the task properly. The training examples were not part of the test stimuli.
- The main task: 60 suffix combinations (e.g. -istic in English, -arny in Polish) were presented in a randomized order, and participants were asked to decide intuitively, as quickly as possible, which of the combinations exist and which do not exist as word terminations in the respective language. Of the 60 combinations, 30 exist in the respective language and 30 do not. Of the existing combinations, 15 were productive ( $>10$ types) and 15 unproductive. Of the non-existing combinations, 15 were created from a permutation of an existing combination (reversing the order of the two suffixes such that the combination was not possible in English), and 15 were created through a spelling manipulation of an existing combination (changing one letter from an existing combination such that the new form does not exist in the respective language). No non-existing combinations included any phonological and/or orthographical impossibilities in the respective language. Participants were given a 10 -minute time limit to complete the main task. (On average, the subjects used approximately one third of the time.)


## Data analysis

We used independent t-tests to consider possible significance of overall scores, as well as for stimulus type: existing vs. non-existing and productive vs. unproductive combinations (Figure 1).


Figure 1
Type of combination

## Discussion

- The participants in the experiment did not need semantic cues to process suffix combinability, i.e. they could differentiate between existing and non-existing suffix combinations presented to them without lexical bases such as roots/stems/words.
- Statistically significant were the differences between existing and non-existing combinations, and between productive (>10 types) and unproductive combinations.
- English has very poor inflectional morphology, while Polish is characterized by a very rich inflectional system. Nevertheless, the results obtained for the two languages are virtually the same, the total score of the correct answers for English is $79 \%$ and $78.86 \%$ for Polish, though combinations of three suffixes (trigrams, the case of Polish where two derivational suffixes are often followed by inflection) should be easier to recognize than combinations of two suffixes (bigrams, the case of English derivational suffix combinations).
- Inflection did not seem to have an impact on the processing on suffix combinability in derivation. I therefore conclude that native speakers of Polish see inflection as forming a natural subword unit with the derivational material that precedes it.


## Discussion

- Since suffix combinability is not taught at school and all linguistic theories assume that a morphological derivation always starts with a root/stem, depending on the theory, the only plausible explanation why native speakers of English and Polish successfully accomplished a task they should not be able to solve is that they had subconsciously extracted and memorized adjacent suffixes in terms of bigrams and trigrams, during language acquisition (cf. the training of ChatGPT).
- Further support to the conclusion that adjacent derivational and inflectional suffixes should be treated together provides Polish diminutive morphology. Polish, like the other Slavic languages (Manova 2015a), derives second-grade diminutives the forms of which contain a sequence of two adjacent diminutive suffixes:
dom 'house' $\rightarrow$ DIM1 dom-ek 'small house' $\rightarrow$ DIM2 dom-ecz-ek 'very small house'.
The selection of the second diminutive suffix entirely depends on the phonological make-up of the first diminutive suffix. The selection of the DIM1 suffix is also form-driven in all but one case: the unproductive class of the feminine-gender nouns in -C selects DIM1 suffix based not on phonology but on gender.


Table 3: Combinability of the DIM suffixes in Polish (from Manova \& Winzernitz 2011)

## GPT

The derivation-infection distinction in English
collectors

| Clear | Show example |
| :--- | :---: |
| Tokens | Characters |
| 2 | 10 |
|  |  |
| collectors |  |

## GPT

The derivation-inflection distinction in English

Show example

```
Tokens Characters
2 
```


## GPT

The derivation-inflection distinction in English
organizations

Clear Show example

Tokens Characters
2 13

## Conclusions

- Based on the BPE algorithm used for tokenization in LLMs, a mathematical method for problem solving, the so-called Gauss-Jordan elimination, and previous research on affix order (by other authors and my own), I put forward the idea of form-based analysis of derivational morphology and illustrated it with data from two typologically distinct languages, English with very poor inflectional morphology, and Polish with very rich inflection.
- A psycholinguistic experiment with native speakers of Polish and English confirmed the correctness of the proposal: Native speakers do not need semantic cues to process affix ordering in derivation. They seem to have subconsciously memorized linearly adjacent affixes, be they derivational or inflectional, as bigrams and trigrams, without reference to semantics, which is exactly what happens during the subword tokenization in a LLM.


## Conclusions

- Morphology works with units of a very small length and the form-meaning correspondences in my analysis (and in (derivational) morphology in general) are not perfect, cf. the long sequences of form used in ChatGPT where form and meaning appear to be in a perfect one-to-one relationship. Nevertheless, a flexible approach, one that operates with defaults and a fixed reasonable number of exceptions (ten or fewer exceptions in my analysis) successfully derives new words from already suffixed ones in English and Polish.
- Future research is needed to see how the suggested approach works with unsuffixed bases, although cf. psycholinguistic research on derivations such as work-er and pseudoderivations such as corn-er, for the human parser they contain the same morpheme -er.
- Form-focused (preferably cross-linguistic) resources for (derivational) morphology providing information about word structure in terms of bigrams and trigrams (linear sequences of adjacent subword units) and their frequency will be essential for future research. Such resources do not exist currently.
- Claims that ChatGPT does not reflect human-like language processing in morphology (and not only) are, most probably, due to the lack of linguistic research that adopts a ChatGPT perspective on language.


# Thank you for your attention! 

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